

# Simulation of the seasonal cycles of bird, equine and human West Nile virus cases

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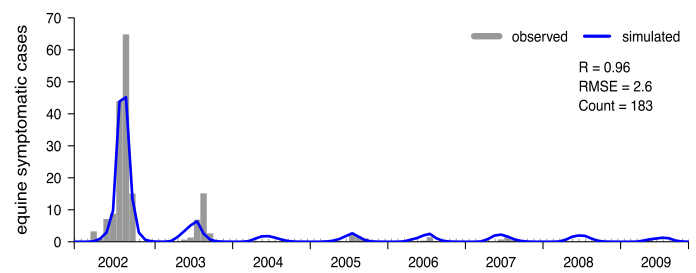
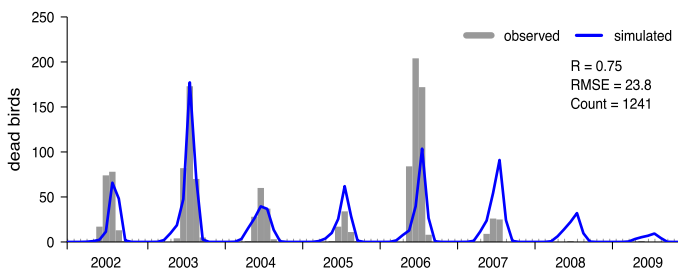
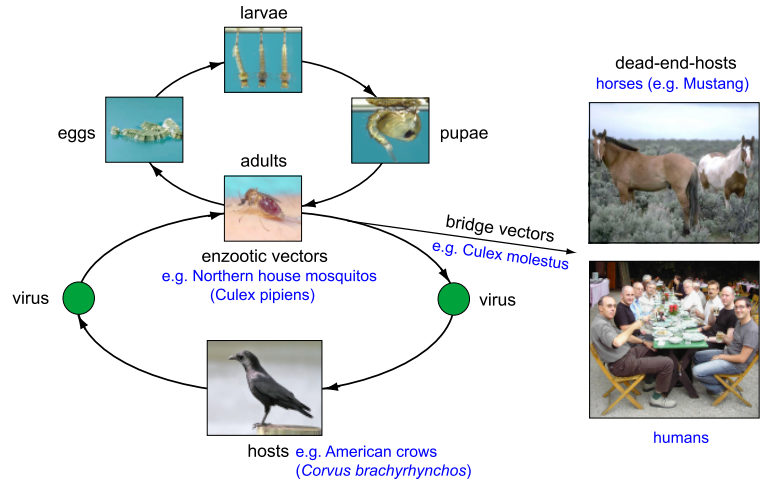
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## Motivation

The West Nile virus (WNV) is an arbovirus circulating in a natural transmission cycle between mosquitoes (enzootic vectors) and birds (amplifying hosts). Additionally, mainly horses and humans (dead-end hosts) may be infected by blood-feeding mosquitoes (bridge vectors). We developed an epidemic model for the simulation of the WNV dynamics of birds, horses and humans in the U.S., which we apply to the Minneapolis metropolitan area (Minnesota).

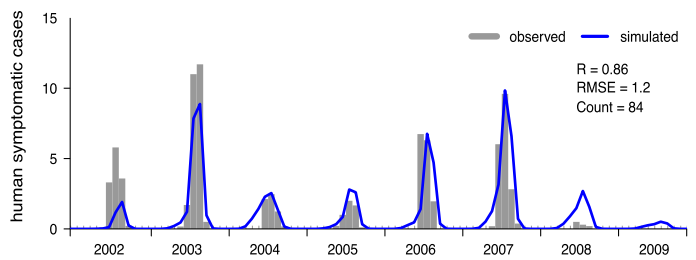
## Method

Our SEIR-type model comprises a total of 19 compartments, that are 4 compartments for mosquitoes and 5 compartments or health states for each of the 3 host species. It is the first WNV model that simulates the seasonal cycle by explicitly considering the environmental temperature (see the theoretical background at the bottom of the poster where temperature dependent parameters are marked in red). Generally, all parameters were estimated from literature or census. Special features of the epidemic model are: (1) density dependent population dynamics of wild birds and mosquito larvae, (2) temperature dependent mosquito parameters, including biting rate, hibernation and extrinsic incubation period, (4) population dynamics of horses and humans following national census, and (5) frequency dependent virus transmission (Laperriere *et al.*, 2011).



## Results

We adjusted our WNV model to fit monthly totals of reported bird, equine and human cases. From this process we estimated that the proportion of actually WNV-induced dead birds reported by the Centers for Disease Control and Prevention is about 0.8%, whereas 7.3% of equine and 10.7% of human cases were reported. This is consistent with referenced expert opinions whereby about 10% of equine and human cases are symptomatic (the other 90% of asymptomatic cases are usually not reported). Despite the restricted completeness of surveillance data, all major peaks in the observed time series were caught by the simulations. Correlations between observed and simulated time series were  $R = 0.75$  for dead birds,  $R = 0.96$  for symptomatic equine cases and  $R = 0.86$  for human neuroinvasive cases. Our WNV model may also be applied to other arbovirus epidemics. For example, Rubel *et al.* (2008) and Rubel and Brugger (2009) applied it to explain the Usutu virus epidemics in Vienna, Austria.

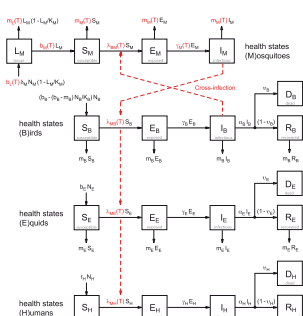


## References

- Laperriere, V., K. Brugger, and F. Rubel, 2011: Simulation of the seasonal cycles of bird, equine and human West Nile virus cases. *Prev. Vet. Med.*, **98**, 99-110.
- Brugger, K., and F. Rubel, 2009: Simulation of climate-change scenarios to explain Usutu-virus dynamics in Austria. *Prev. Vet. Med.*, **88**, 24-31.
- Rubel, F., *et al.*, 2008: Explaining Usutu virus dynamics in Austria: Model development and calibration, *Prev. Vet. Med.*, **85**, 166-186.

### Theoretical background

#### Epidemic Model



#### Equations

$$\frac{dL_M}{dt} = (b_L(T) \delta_{LM} N_{LM} - m_L(T) L_M) \left(1 - \frac{L_M}{K_M}\right) - b_M(T) L_M$$

$$\frac{dS_M}{dt} = -\lambda_{SM}(T) S_M + b_M(T) L_M - m_M(T) S_M$$

$$\frac{dE_M}{dt} = \lambda_{EM}(T) S_M - \gamma_M(T) E_M - m_M(T) E_M$$

$$\frac{dI_M}{dt} = \gamma_M(T) E_M - m_M(T) I_M$$

$$\frac{dS_B}{dt} = \left(b_B - (b_B - m_B) \frac{N_B}{K_B}\right) N_B - \lambda_{MB}(T) S_B - m_B S_B$$

$$\frac{dE_B}{dt} = \lambda_{EB}(T) S_B - \gamma_B E_B - m_B E_B$$

$$\frac{dI_B}{dt} = \gamma_B E_B - \alpha_B I_B - m_B I_B$$

$$\frac{dR_B}{dt} = (1 - \alpha_B) \alpha_B I_B - m_B R_B$$

$$\frac{dS_H}{dt} = \lambda_{SH}(T) S_H - \gamma_H E_H - m_H S_H$$

$$\frac{dE_H}{dt} = \gamma_H E_H - \alpha_H I_H - m_H E_H$$

$$\frac{dI_H}{dt} = (1 - \alpha_H) \alpha_H I_H - m_H I_H$$

$$\frac{dR_H}{dt} = \alpha_H \alpha_H I_H$$

#### Parameters

| Param.     | Value   | Interpretation                                     | Param.     | Value   | Interpretation                                     |
|------------|---------|--|------------|---------|--|
| $b_L$      | $f(T)$  | Birth rate, larvae                                 | $b_B$      | $f(d)$  | Birth rate, birds                                  |
| $m_L$      | $f(T)$  | Mortality rate, larvae                             | $m_B$      | 0.00034 | Mortality rate, birds                              |
| $b_M$      | $f(T)$  | Birth rate, mosquitoes                             | $p_E$      | 0.125   | Transmission probability by infectious birds       |
| $m_M$      | $f(T)$  | Mortality rate, mosquitoes                         | $\alpha_B$ | 0.4     | Removal rate, birds                                |
| $p_M$      | 1.0     | Transmission probability by infectious mosquitoes  | $\gamma_B$ | 1.0     | Rate with $1/\gamma_B$ intrinsic-incubation period |
| $\gamma_M$ | $f(T)$  | Rate with $1/\gamma_M$ extrinsic-incubation period | $\alpha_B$ | 0.7     | Fraction birds dying due to infection              |
| $k$        | $f(d)$  | Fraction mosquitoes non-hibernating                | $\alpha_B$ | 0.00034 | Mortality rate, humans                             |
| $b_E$      | 0.00016 | Birth rate, equids                                 | $\alpha_H$ | 0.5     | Removal rate, humans                               |
| $m_E$      | 0.00011 | Mortality rate, equids                             | $\gamma_H$ | 0.25    | Rate with $1/\gamma_H$ intrinsic-incubation period |
| $\alpha_E$ | 0.2     | Removal rate, equids                               | $\alpha_H$ | 0.004   | Fraction humans dying due to infection             |
| $\gamma_E$ | 0.05    | Rate with $1/\gamma_E$ equid incubation period     | $\alpha_H$ | 0.03    | Mosquito-to-human ratio                            |
| $\mu_E$    | 0.04    | Fraction equids dying due to infection             |            |         |  |
| $\phi_E$   | 300     | Mosquito-to-equid ratio                            |            |         |  |

$$\text{Forces of Infection } \lambda_{EM}(T) = \delta_M k(T) \frac{I_B}{K_B} + \lambda_{MB}(T) = \delta_M k(T) p_M \phi_B \frac{I_H}{K_H} \dots$$